

# JointScaler: A Hierarchical Multi-Indicator Distribution Forecasting Approach for Uncertainty-Aware Joint Scaling in Cloud Services

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## Abstract

Proactive scaling improves cloud resource efficiency by forecasting system-relevant indicators and dynamically provisioning resources to maximize utilization while satisfying quality requirements. Existing approaches forecast service indicators in isolation, ignore forecasting uncertainty, and scale resource types independently, violating bundled resource constraints and degrading service quality. Therefore, we propose JointScaler, a learning-based framework for multi-indicator distribution forecasting and uncertainty-aware scaling. It captures inter-indicator dependencies via hierarchical attention, models dynamic uncertainties with normalizing flows, and leverages full predictive distributions to optimize bundled resource allocations under quality requirements. Evaluated<sup>1</sup> on 4 real-world datasets, JointScaler improves point and distribution forecasting accuracy by 5.87% and 14.74%, outperforming 12 advanced baselines. In a week-long A/B test on a payment application’s cloud platform, it reduced GPU and CPU usage by 2,400+ and 37,000+ hours with stable service quality, delivering significant economic benefits.

## 1 Introduction

The rising demand for computing power drives major investments in cloud infrastructure. For instance, Meta uses more than 24,000 NVIDIA H100 GPUs, and OpenAI runs over 7,500 GPU servers [Meta, 2024; OpenAI, 2021]. In large-scale cloud systems, services must meet performance requirements defined in Service Level Agreements (SLAs), such as maximum acceptable response time. To avoid breaching SLAs, providers often allocate more resources than needed, leading to consistently low utilization and significant economic waste [Wang *et al.*, 2023; Luo *et al.*, 2024a]. To balance cost and reliability, many cloud platforms now use proactive scaling [Zou *et al.*, 2024; Luo *et al.*, 2024b;

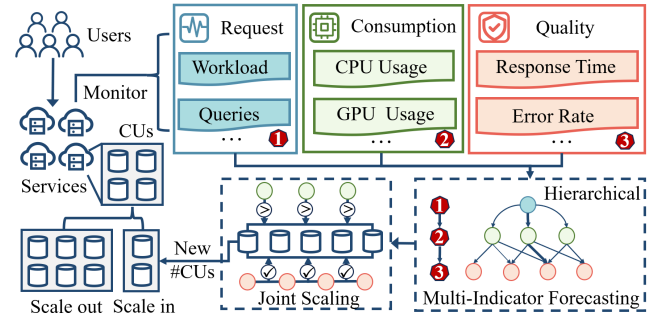


Figure 1: Proactive Scaling Framework. **Forecasting Stage** predicts service indicators (request, consumption, quality). **Scaling Stage** adjusts resources (CUs) to balance efficiency and service quality.

Luo *et al.*, 2026]. This method predicts key service indicators and adjusts resource allocation in advance to maintain SLA compliance while improving efficiency.

The upper part of Fig.1 shows the typical resource scaling process. The lower part illustrates our proactive scaling framework, consisting of two stages: forecasting and scaling.

In the forecasting stage, the service monitors multiple indicator series that together describe its operational state. Although these indicators are observed separately, we find that they naturally cluster into different functional levels that reflect how the service works: (1) **Request-Level** captures incoming user demand; (2) **Consumption-Level** measures internal resource usage needed; and (3) **Quality-Level** reflects the service performance. This hierarchical structure implies a directional dependence: request dynamics drive resource consumption, which in turn determines the quality of service.

In the scaling stage, the system allocates resources in atomic Computational Units (CUs). Instead of assigning individual CPU cores or GPUs independently, cloud systems bundle heterogeneous resources such as 4 CPU cores and 1 GPU card into a fixed CU. This reduces fragmentation and simplifies scheduling in distributed environments [Verma *et al.*, 2015]. As a result, scaling decisions must respect joint constraints across different resource types within each CU.

Despite these insights, current scaling methods face serious challenges, as we observed when operating a cloud platform

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<sup>1</sup>Code: <https://github.com/Floating-LY/Joint-Scaler>

for a payment application with over one billion global users.

**Challenge 1: Modeling Hierarchical Multi-Indicators.** Existing cloud forecasters treat indicators as isolated signals [Wang *et al.*, 2023; Luo *et al.*, 2024a; Gao *et al.*, 2025; Chen *et al.*, 2026], ignoring their functional hierarchy and dependence ordering confirmed via Granger analysis in Sec. 2.1. Without modeling this hierarchy, temporal patterns cannot propagate correctly across levels, reducing forecast accuracy.

**Challenge 2: Estimating Forecasting Uncertainty.** User request patterns are inherently variable, causing dynamic uncertainty in service indicators. Yet most approaches rely on single-point predictions [Chen *et al.*, 2023a; Gao *et al.*, 2026], fail to account for potential SLA violations. Recent methods explore probabilistic forecasts but assume fixed Gaussian distributions [Zou *et al.*, 2024], which cannot capture the dynamic forecasting uncertainty observed in Sec. 2.2.

**Challenge 3: Scaling Bundled Resources.** Current scalars [Zou *et al.*, 2024; Hang *et al.*, 2024; Cai *et al.*, 2025] often optimize CPU, GPU, and other resources separately. This ignores both the atomic nature of CUs and the bundled coupling between resource types. Their scaling result is often either violating quality requirements or leading to redundant resources violating SLA as demonstrated in Sec. 2.3.

To tackle these challenges, we propose JointScaler, a new proactive scaling framework that integrates two key parts. **The Multi-Indicator Distribution Forecaster** clusters service indicators into hierarchical levels to reflect their semantic roles in system dynamics. We propose the hierarchical attention to model directional inter-indicator dependencies (Challenge 1), and leverage Normalizing Flows (NFs) to capture flexible forecast uncertainties (Challenge 2). **The Uncertainty-Aware Joint Distribution-Aware Scaler** includes a Resource Allocation Judger that jointly reasons over multi-indicator uncertainty distributions for bundled Computational Units, and an SLA-Aware Weight Adapter that dynamically adjusts scaling algorithms based on real-time SLA violation risk quantification to preserve service quality (Challenge 3). To the best of our knowledge, JointScaler is the first scaling framework that explicitly encodes hierarchical dependencies among cloud service indicators. It jointly forecasts their full distributions and performs uncertainty-aware scaling under resource bundling constraints. In summary, we:

- Identify a new AI research problem: forecasting hierarchical multi-indicators in cloud services, bridging time-series modeling and practical resource management.
- Propose JointScaler, a novel AI framework for cloud service scaling, combining multi-indicator distributional forecasting with joint scaling under bundled resources.
- Achieve state-of-the-art performance on four heterogeneous datasets, outperforming 12 baselines and saving 2,400 GPU-hours and 37,000 CPU-hours in scaling test while maintaining 98.45% SLA compliance.

## 2 Data Analysis and Observation

To understand the challenges of proactive scaling in cloud services, we analyze service indicators from two real-world sources: the public Fisher dataset [Liu, 2018] and GPU traces collected over one week from a large-scale payment platform.

### 2.1 Hierarchical Dependencies

To evaluate the hierarchical structure of service indicators, we apply the same level clustering to the Fisher dataset and show the result for a representative service in Fig. 2. Granger causality analysis [Granger, 1969] illustrates significant directional dependence between the levels, supporting our observed hierarchical dependencies. Modeling these multi-indicator dependencies can enhance forecasting accuracy.

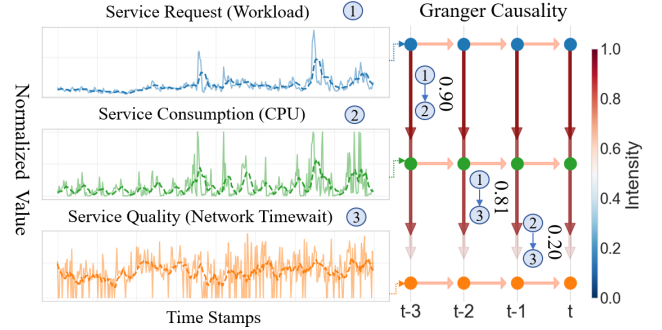


Figure 2: Evolutionary and Hierarchical Analysis. Temporal patterns (left) and results of Granger causality analysis (right) show hierarchical relationships among the indicators.

### 2.2 Forecasting Uncertainty

To investigate forecasting uncertainty, we present multi-indicator distribution forecasts of JointScaler for a model inference service in the payment platform over 24 hours, as shown in Fig. 3. We observe that: (1) for the same indicator, the uncertainty intervals vary significantly across time; and (2) different indicators exhibit distinct levels of forecasting uncertainty. Point forecasts fall short in capturing these temporal and cross-indicator uncertainties, limiting the accuracy of scaling decisions. Distributional forecasting is thus essential for reliable cloud service resource management.

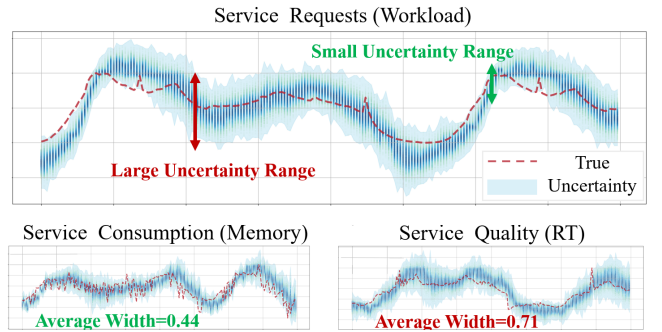


Figure 3: Forecasting Uncertainty. It presents our distribution forecasts for different indicators. The Average Width measures the size of the uncertainty region. Larger width indicates higher uncertainty.

### 2.3 Joint Scaling Heterogeneous Resources

Cloud services consume heterogeneous resources with varying consumption patterns. Fig. 4 illustrates two real-world services from a payment platform: one GPU-dominant and one

CPU-dominant. Relying on a single resource for scaling leads to severe imbalances. For instance, in a GPU-dominant service, scaling based only on GPU demand results in redundant CPUs; yet scaling based solely on CPU usage leaves GPUs severely insufficient, degrading service quality. Similar imbalances occur for CPU-dominant services. This imbalance underscores a key insight: effective scaling in heterogeneous environments must jointly consider multiple resource types to balance efficient resource utilization and service quality.

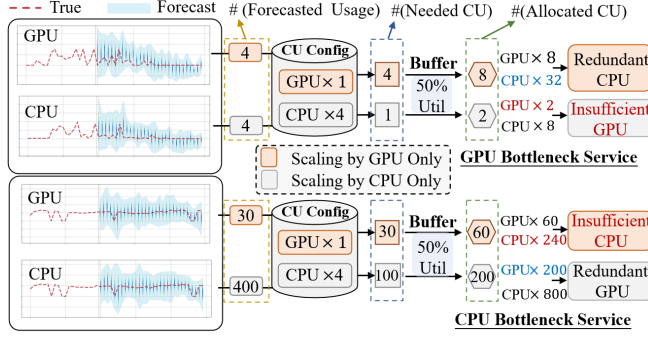


Figure 4: Limitations of Isolated Scaling. Forecasted demand for each resource determines needed CUs, which is then scaled up by a 50% buffer to achieve target utilization. The orange and gray paths represent GPU-only and CPU-only scaling strategies, respectively.

### 3 Problem Definition

We begin by the basic concepts of proactive scaling first.

**Definition 1 (Indicator Series).** Indicator series represent the status of a service at different time stamps, including information on service requests, consumption, and quality. The indicator series are denoted as  $\mathbf{X} \in \mathbb{R}^{N \times T}$ , where  $N$  and  $T$  denote the number of indicators and time stamps, respectively. In addition, We use  $\mathbf{X}_r \in \mathbb{R}^{R \times T}$ ,  $\mathbf{X}_c \in \mathbb{R}^{C \times T}$ , and  $\mathbf{X}_q \in \mathbb{R}^{Q \times T}$  denotes the service requests, consumption, quality indicators where  $R + C + Q = N$ .

**Definition 2 (Level Identification).** Level Identification is denoted by an array  $\mathbf{L} \in \mathbb{Z}^N$ , where each element  $L_n \in \{1, \dots, L_{\max}\}$  represents the semantic level of the corresponding indicator  $X_n$  in the hierarchical structure.

Based on indicator series and level identification, we aim to predict future distributions of these indicators.

**Task 1 (Forecasting).** Given indicator series  $\mathbf{X} \in \mathbb{R}^{N \times T}$  and level information  $\mathbf{L} \in \mathbb{Z}^N$ , We forecast the distribution of the indicators at time stamp  $T + 1$ . We denote the forecast distribution as  $\mathbf{D} \in \mathbb{R}^{N \times S}$ , where  $S$  is the number of possible states in the distribution of each indicator.

Then we define the atomic computational unit for scaling in cloud services, which may be referred to by different names depending on the cloud architecture, such as containers in distributed systems [Burns and Oppenheimer, 2016].

**Definition 3 (Computational Unit).** A CU comprises a combination of compute resources such as CPU, GPU, and Memory. The CUs have a specific configuration denoted as  $\mathbf{O} \in$

$\mathbb{Z}^C$ , where each element  $O_c$  represents the quantity of the  $c$ -th resource type. Here  $C$  corresponds to the number of service consumption indicators. All computational units for a cloud service share identical configurations.

We finally determine the optimal number of CUs required based on the distributions of indicators and the CU configuration, ensuring the service quality indicators meet SLAs.

**Task 2 (Scaling).** Given the predicted distributions  $\mathbf{D}$  and CU configuration  $\mathbf{O}$ , the goal of the scaling algorithm  $\mathcal{A}$  is to determine the appropriate number of CUs  $U$  to allocate. The optimal number is denoted by  $U_{\text{opt}} = \mathcal{A}(\mathbf{D}, \mathbf{O})$ , ensuring service quality indicators meet the specified SLAs.

## 4 Forecasting Future Distributions

JointScaler predicts service indicator distributions via two core components: hierarchical relationship modeling and distribution transformation. Input indicator series are encoded into embeddings to capture temporal patterns, with hierarchical attention modeling inter-indicator dependencies. The resulting representation is projected into an initial Gaussian distribution, then transformed via Normalizing Flows to generate flexible distributions that better capture service variability and uncertainty. Fig. 5 presents JointScaler’s framework.

### 4.1 Capturing Hierarchical Dependencies

This section addresses **Challenge 1** by extracting temporal patterns and hierarchical dependencies from indicator series using Indicator Embedding and Hierarchical Attention.

#### Indicator Embedding

JointScaler begins with indicator series  $\mathbf{X} \in \mathbb{R}^{N \times T}$ , where  $N$  is the number of service indicators and  $T$  denotes the sequence length. Following recent findings in multivariate time series modeling [Liu *et al.*, 2024], we embed along the variable dimension  $N$  rather than the temporal axis  $T$ , as it better captures inter-indicator correlations in cloud services.

To enrich temporal patterns, we extract  $F$  periodic and time features (e.g. day-of-week) as  $\mathbf{T}_f \in \mathbb{R}^{F \times T}$  and concatenate them with  $\mathbf{X}$  to form an augmented input  $\tilde{\mathbf{X}} = [\mathbf{X}; \mathbf{T}_f] \in \mathbb{R}^{(N+F) \times T}$ . This matrix is projected into a shared embedding space via a learnable linear transformation:

$$\mathbf{E} = \mathbf{W}_e \tilde{\mathbf{X}} + \mathbf{b}_e \in \mathbb{R}^{(N+F) \times D}, \quad (1)$$

where  $\mathbf{W}_e \in \mathbb{R}^{D \times (N+F)}$  and  $\mathbf{b}_e \in \mathbb{R}^D$  are trainable parameters, and  $D$  is the embedding dimension. The resulting  $\mathbf{E}$  serves as the initial representation for hierarchical attention.

#### Hierarchical Attention

We propose a Dependency-Constrained Hierarchical Attention mechanism to explicitly model the directional dependency structure among service indicators, addressing the disordered multi-indicator relationship described in **Challenge 1**. Each indicator is assigned a semantic level  $l_n \in \{1, 2, \dots, L_{\max}\}$ , where lower levels (e.g.,  $l = 1$ ) correspond to foundational signals like request load and higher levels represent derived states such as service latency and SLA compliance.

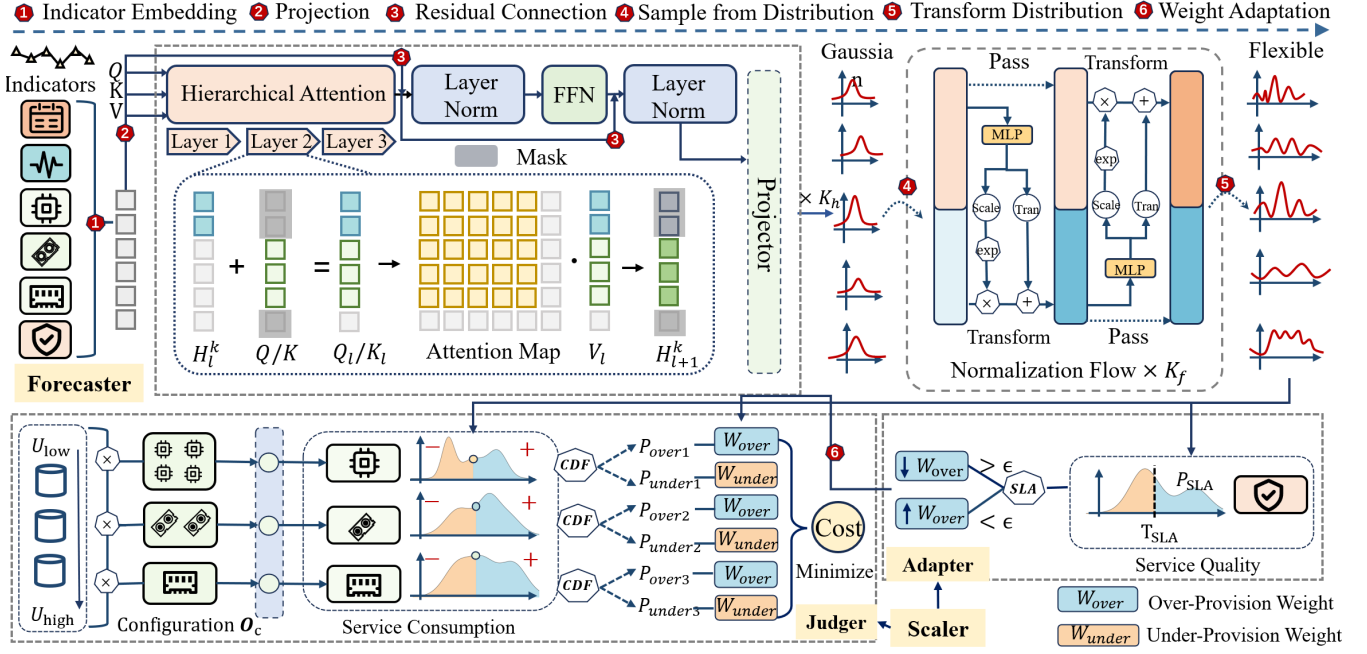


Figure 5: Model Framework. The upper part illustrates the Forecaster's process of transforming multiple service indicators into flexible distributions. The lower part shows the Uncertainty-aware Scaler that determines the optimal number of CUs based on the predicted distribution.

To enforce strict bottom-up information flow, we partition all  $N + F$  tokens into disjoint level-specific groups. Let  $\tilde{L} \in \{1, \dots, L_{\max}\}^{N+F}$  be the extended level assignment. For each level  $l \in \{1, \dots, L_{\max}\}$ , define the index set  $\mathcal{G}_l = \{i \in \{1, \dots, N + F\} \mid \tilde{l}_i = l\}$ . The collection  $\{\mathcal{G}_l\}_{l=1}^{L_{\max}}$  forms a partition satisfying:  $\mathcal{G}_i \cap \mathcal{G}_j = \emptyset$  for all  $i \neq j$ ,  $\bigcup_{l=1}^{L_{\max}} \mathcal{G}_l = \{1, \dots, N + F\}$ .

In each block, we first compute shared linear projections for query, key, and value as denoted in Eqn. (2).

$$Q = H^k W_Q, \quad K = H^k W_K, \quad V = H^k W_V, \quad (2)$$

where  $W_Q, W_K, W_V \in \mathbb{R}^{D \times D}$ . We then process levels sequentially. Let  $H_1^k = H^k$  be the initial token state.

For level  $l$ , we define the attention context as the union of current and previous level tokens to enable cross-level interaction while preserving hierarchical directionality in Eqn. (3):

$$\mathcal{C}_l = \mathcal{G}_{l-1} \cup \mathcal{G}_l. \quad (3)$$

Query, key, and value vectors are drawn from the current state restricted to  $\mathcal{C}_l$  in Eqn. (4).  $H_l^k[\mathcal{C}_l, :]$  denotes the submatrix of  $H^k$  formed by selecting all rows indexed by the set  $\mathcal{C}_l$ .

$$Q_{\mathcal{C}_l} = K_{\mathcal{C}_l} = V_{\mathcal{C}_l} = H_l^k[\mathcal{C}_l, :]. \quad (4)$$

This extraction step ensures that subsequent attention computation is confined to the functional scope of level  $l$ . We then conduct attention operation over  $\mathcal{C}_l$  as in Eqn. (5) and extract only the output for tokens in  $\mathcal{G}_l$  as Eqn. (6) denotes:

$$A_l = \sigma \left( \frac{Q_{\mathcal{C}_l} K_{\mathcal{C}_l}^\top}{\sqrt{D}} \right), \quad B_{\mathcal{C}_l} = A_l V_{\mathcal{C}_l}, \quad (5)$$

$$B_l = B_{\mathcal{C}_l}[:, |\mathcal{C}_l| - |\mathcal{G}_l| : , :]. \quad (6)$$

The residual state is then updated exclusively at  $\mathcal{G}_l$ , leaving all other tokens unchanged as in Eqn. (7):

$$H_{l+1}^k[i, :] = \begin{cases} B_l[j, :] & \text{if } i = \mathcal{G}_l[j], \\ H_l^k[i, :] & \text{otherwise.} \end{cases} \quad (7)$$

This design enforces bottom-up dependence by allowing each level to attend to the latest representations of its direct dependencies. Its worst-case time complexity is  $\mathcal{O}((N + F)^2 D)$ , matching that of standard self-attention. In typical hierarchical settings with multiple levels  $L$ , attention is restricted to small, level-specific contexts, leading to lower computational cost in practice.

The outputs from all layers are summed, normalized, and refined by a feed-forward network as in Eqn. (8).

$$H^{k+1} = \text{FFN} \left( \text{LayerNorm} \left( \sum_{l=1}^{L_{\max}} H_{l+1}^k \right) \right), \quad (8)$$

where  $\text{FFN}(\cdot) = \text{Dropout}(\text{ReLU}(\cdot W_1 + b_1) W_2 + b_2)$ .

After  $K_h$  blocks the embeddings for the  $N$  service indicators are extracted as  $H_{:N}^{K_h} \in \mathbb{R}^{N \times D}$ . These are mapped to the parameters of a Gaussian distribution as in Eqn. (9).

$$D_G = \text{Projector}(H_{:N}^{K_h}) = [\mu, \sigma] \in \mathbb{R}^{N \times 2}. \quad (9)$$

## 4.2 Transforming Gaussian Distributions

To capture dynamic uncertainties in real workloads, we transform the base Gaussian into a flexible distribution by Normalizing Flows [Wang, 2024]. It addresses **Challenge 2** by enabling density estimation beyond parametric assumptions.

Starting from  $D(G) = \mathbf{z}^{(0)} \sim \mathcal{N}(\boldsymbol{\mu}, \text{diag}(\boldsymbol{\sigma}^2))$ , we apply  $K_f$  invertible layers. At layer  $k$ ,  $\mathbf{z}^{(k)}$  is split into two halves. The first half generates scale and translation parameters in Eqn. (10).  $\mathbf{s}$  adjusts local variance to capture tail behavior,  $\mathbf{t}$  enables asymmetric shifts to model skewed indicators.

$$\mathbf{s} = \tanh(\text{Dense}_s(\mathbf{z}_1^{(k)})), \quad \mathbf{t} = \text{Dense}_t(\mathbf{z}_1^{(k)}). \quad (10)$$

The second half is then transformed as in Eqn. (11):

$$\tilde{\mathbf{z}}_2^{(k)} = \mathbf{z}_2^{(k)} \odot \exp(\mathbf{s}) + \mathbf{t}. \quad (11)$$

The roles are swapped to update the first half, and the full output is reconstructed as in Eqn. (12):

$$\mathbf{z}^{(k+1)} = \text{Concat}(\tilde{\mathbf{z}}_1^{(k)}, \tilde{\mathbf{z}}_2^{(k)}). \quad (12)$$

Each coupling transformation is invertible and allows exact computation of the output probability density from the base Gaussian. It enables likelihood evaluation as in Eqn. (13):

$$\log p(\mathbf{x}) = \log \mathcal{N}(\mathbf{z}^{(0)}) - \sum_{k=0}^{K_f-1} \log \left| \det \frac{\partial \mathbf{z}^{(k+1)}}{\partial \mathbf{z}^{(k)}} \right|. \quad (13)$$

This flow-based design adapts to the true empirical shape of each indicator’s dynamic uncertainty. As a result, JointScaler supports both point forecasting and distributional quantification, essential for robust scaling decisions under uncertainty.

## 5 Scaling under Uncertainty

As highlighted in **Challenge 3**, scaling based on point predictions ignores inherent uncertainty. Therefore, we propose the **Uncertainty-aware Joint Distribution-Aware Scaler**, utilizing full forecast distributions to compute expected costs for each candidate number of CUs to allocate, balancing resource efficiency and quality requirements in resource allocation.

The proposed scaler consists of two main components: an SLA-Aware Weight Adapter and a Resource Allocation Judge. The scaling algorithm  $\mathcal{A}$  takes the following inputs:

- $\mathbf{D} \in \mathbb{R}^{N \times S}$ : forecast demand distribution
- $\mathbf{O} \in \mathbb{R}^C$ : Configurations for computational units
- $[U_{low}, U_{high}]$ : Operational range for CU count
- $W_{over}, W_{under}$ : Penalty weights
- $T_{SLA}$ : SLA threshold for service quality

**SLA-Aware Weight Adapter.** It adjusts penalty weights  $W_{over}$  and  $W_{under}$  to balance SLA compliance and resource efficiency. The SLA violation probability is as Eqn. (14):

$$P_{SLA} = P(\mathbf{D}_p > T_{SLA}). \quad (14)$$

where  $\mathbf{D}_p$  represents the distribution of service quality indicators (e.g., latency) and  $T_{SLA}$  denotes the SLA threshold. When  $P_{SLA}$  exceeds a predefined risk threshold  $\epsilon$ , the over-provisioning penalty is reduced via  $W_{over} \leftarrow \alpha \cdot W_{over}$  ( $\alpha \in (0, 1)$ ) to prioritize resource allocation. Conversely,  $W_{over}$  is scaled up using  $\beta \cdot W_{over}$  ( $\beta > 1$ ) when SLA risks are low, penalizing excessive resource consumption.

**Resource Allocation Judge.** The second component determines the optimal number of CUs within the operational

range  $[U_{low}, U_{high}]$  by calculating the cost associated with over provisioning and under provisioning risks through:

(1) **Resource Allocation:** Calculate the potential resources to be allocated as  $U \times \mathbf{O}_c$ , where  $U$  is the number of CUs and  $\mathbf{O}_c$  represents the configuration of each CU.

(2) **Provisioning Probabilities:** Estimate both over-provisioning probability  $P_{over}$  and under-provisioning probability  $P_{under}$  as follows:  $P_{over}[c] = P(\mathbf{D}_c > U \times \mathbf{O}_c)$ ,  $P_{under}[c] = P(\mathbf{D}_c < U \times \mathbf{O}_c)$ . The cumulative distribution function (CDF) is used to evaluate these probabilities, which can be estimated either through kernel density estimation or by calculating sample proportions from  $\mathbf{D}_c$ .

(3) **Cost Estimation:** Compute the cost for  $U$  by Eqn. (15). Here,  $W_{over} \in \mathbb{R}^C$  and  $W_{under} \in \mathbb{R}^C$  are weights for over and under provisioning risks, respectively.

$$\text{Cost} = W_{over} \cdot P_{over} + W_{under} \cdot P_{under}. \quad (15)$$

Finally, the CU count that minimizes the expected cost is selected as the optimal value  $U_{opt}$ . The scaler runs continuously in each decision cycle, dynamically adjusting penalty weights via an SLA-aware adapter based on service risks.

## 6 Experiments

In this section, we conduct a series of experiments to evaluate JointScaler’s forecasting and scaling performance.

### Datasets

We employ 4 real-world cloud traces across various architectures to test JointScaler’s robust performance: (1) **Pay\_GPU**: From a large payment platform, covering 100 high-load GPU inference services over a week (3441 GPUs), representing high-performance GPU environments. (2) **Pay\_CPU**: From the same platform, including 100 CPU services over a week (120,248 CPU cores), representing CPU-intensive infrastructure. (3) **Ali** [Alibaba, 2018]: From Alibaba Cluster Trace, recording indicators from 50 machines over 8 days, reflecting typical machine-based architectures. (4) **Fisher** [Liu, 2018]: Workload trace from 10 Kubernetes containers over 30 days, representing containerized environments.

### Data preprocessing

We use MinMax normalization to standardize all indicators and aggregate indicators into 10-minute intervals using the maximum value for each interval. This aggregation alleviates SLA violations due to under-provisioning. We divide datasets into training, validation, and testing sets in a 7:1:2 ratio for robust model evaluation. Following Def. 1, we categorized service indicators into levels such as **request**, **consumption**, and **quality**, generating Level Identification as the input.

### Baselines

For the forecasting task, we compare with 12 advanced baselines containing probabilistic prediction methods: **DeepAR** [Flunkert *et al.*, 2017], **CSDI** [Tashiro *et al.*, 2021], **MG-TSD** [Fan *et al.*, 2024], and multivariate prediction methods: **Pyraformer** [Liu *et al.*, 2022], **DLinear** [Zeng *et al.*, 2023], **PatchTST** [Nie *et al.*, 2023], **Crossformer** [Zhang and Yan, 2023], **TSMixer** [Chen *et al.*, 2023b], **iTransformer** [Liu *et al.*, 2024], **TimeFilter** [Hu *et al.*, 2025], **WPMixer** [Murad *et al.*, 2025], **KAEInformer** [Hua *et al.*, 2023].

| Datasets           |      | Pay_GPU       |               |               | Pay_CPU       |               |               | Ali           |               |               | Fisher        |               |               | Avg. Rank     |
|--------------------|------|---------------|---------------|---------------|---------------|---------------|---------------|---------------|---------------|---------------|---------------|---------------|---------------|---------------|
| T                  |      | 72            | 144           | 288           | 72            | 144           | 288           | 72            | 144           | 288           | 72            | 144           | 288           |               |
| DeepAR             | MSE  | 0.0225        | 0.0291        | <u>0.0366</u> | 0.3593        | 0.4260        | 0.4997        | 0.0044        | 0.0054        | 0.0066        | 0.0695        | 0.0604        | 0.0562        | 7.0417        |
| CSDI               | MSE  | 0.0374        | 0.0409        | 0.0513        | 0.2674        | 0.2680        | 0.2998        | 0.0172        | 0.0116        | 0.0134        | 0.0766        | 0.0968        | 0.0934        | 8.9167        |
| MG-TSD             | MSE  | 0.0331        | 0.0357        | 0.0443        | 0.1258        | 0.1718        | 0.2196        | 0.0318        | 0.0323        | 0.0349        | 0.0650        | 0.0663        | 0.0757        | 7.7500        |
| Pyraformer         | MSE  | 0.0227        | <u>0.0241</u> | 0.0374        | 0.0676        | 0.1084        | 0.1441        | 0.0042        | 0.0056        | 0.0062        | <u>0.0461</u> | <u>0.0469</u> | 0.0483        | 3.5833        |
| DLinear            | MSE  | 0.0350        | 0.0419        | 0.0413        | 0.1365        | 0.1748        | 0.2442        | 0.0112        | 0.0145        | 0.0167        | 0.0500        | 0.0574        | 0.0557        | 7.0000        |
| PatchTST           | MSE  | 0.0202        | 0.0267        | 0.0481        | <u>0.0327</u> | <u>0.0604</u> | 0.1219        | 0.0044        | 0.0049        | <b>0.0058</b> | 0.0467        | 0.0472        | 0.0485        | <u>3.5000</u> |
| Crossformer        | MSE  | 0.8261        | 1.2853        | 1.6736        | 0.3639        | 0.4071        | 0.5541        | 0.0891        | 0.0962        | 0.0612        | 0.0587        | 0.0616        | 0.0640        | 11.1667       |
| TSMixer            | MSE  | 0.2013        | 0.0880        | 0.5510        | 0.2997        | 0.2465        | 0.1610        | 0.0410        | 0.0246        | 0.0239        | 0.0581        | 0.0863        | 0.1046        | 9.5000        |
| iTransformer       | MSE  | <u>0.0179</u> | 0.0248        | 0.0476        | 0.0337        | 0.0683        | 0.1103        | 0.0047        | 0.0055        | 0.0071        | 0.0470        | 0.0489        | 0.0496        | 4.4167        |
| TimeFilter         | MSE  | 0.2602        | 0.2812        | 0.7984        | 0.2860        | 0.3579        | 0.3694        | 0.1224        | 0.1288        | 0.1239        | 0.0921        | 0.0918        | 0.1016        | 11.5833       |
| WPMixer            | MSE  | 0.0322        | 0.0385        | 0.0463        | 0.0786        | 0.0961        | <u>0.0834</u> | <b>0.0035</b> | <b>0.0041</b> | 0.0067        | 0.0467        | 0.0475        | <u>0.0477</u> | 3.8750        |
| KAEInformer        | MSE  | 0.0992        | 0.1198        | 0.4716        | 0.2723        | 0.2921        | 0.3266        | 0.1202        | 0.1384        | 0.1308        | 0.1485        | 0.1565        | 0.1639        | 11.4167       |
| <b>JointScaler</b> | MSE  | <b>0.0171</b> | <b>0.0229</b> | <b>0.0355</b> | <b>0.0323</b> | <b>0.0448</b> | <b>0.0762</b> | <b>0.0039</b> | <b>0.0048</b> | <b>0.0061</b> | <b>0.0453</b> | <b>0.0458</b> | <b>0.0474</b> | <b>1.3333</b> |
| DeepAR             | CRPS | <u>0.0706</u> | <u>0.0807</u> | <u>0.0992</u> | 0.2142        | 0.2170        | 0.2351        | 0.0399        | 0.0492        | 0.0542        | 0.1481        | 0.1390        | 0.1276        | 5.2500        |
| CSDI               | CRPS | 0.1214        | 0.1302        | 0.1828        | 0.5457        | 0.5273        | 0.5369        | 0.0730        | 0.0588        | 0.0613        | 0.1634        | 0.2282        | 0.1481        | 9.4167        |
| MG-TSD             | CRPS | 0.1454        | 0.2628        | 0.3062        | 0.3317        | 0.4722        | 0.5837        | 0.0535        | 0.0729        | 0.0852        | 0.1840        | 0.1991        | 0.2057        | 10.2500       |
| Pyraformer         | CRPS | 0.0781        | 0.0859        | 0.1140        | 0.0891        | 0.1146        | 0.1519        | <u>0.0327</u> | 0.0401        | 0.0473        | <u>0.1141</u> | 0.1172        | 0.1283        | 3.9167        |
| DLinear            | CRPS | 0.1176        | 0.1372        | 0.1323        | 0.1920        | 0.2066        | 0.2356        | 0.0821        | 0.0855        | 0.0888        | 0.1448        | 0.1606        | 0.1450        | 7.3333        |
| PatchTST           | CRPS | 0.0719        | 0.0893        | 0.1363        | <u>0.0708</u> | <u>0.0921</u> | 0.1298        | 0.0328        | <u>0.0351</u> | <u>0.0426</u> | 0.1143        | <u>0.1159</u> | <u>0.1195</u> | <u>3.1667</u> |
| Crossformer        | CRPS | 0.6652        | 0.9662        | 1.1406        | 0.3067        | 0.3866        | 0.4622        | 0.2359        | 0.2496        | 0.2048        | 0.1545        | 0.1596        | 0.1594        | 10.8333       |
| TSMixer            | CRPS | 0.3686        | 0.2160        | 0.5487        | 0.2347        | 0.2449        | 0.2060        | 0.1550        | 0.1235        | 0.1166        | 0.1484        | 0.1691        | 0.1963        | 9.1667        |
| iTransformer       | CRPS | 0.0708        | 0.0892        | 0.1328        | 0.0711        | 0.0962        | 0.1295        | 0.0340        | 0.0390        | 0.0482        | 0.1160        | 0.1200        | 0.1237        | 4.0417        |
| TimeFilter         | CRPS | 0.4467        | 0.4358        | 0.7787        | 0.2958        | 0.3195        | 0.3170        | 0.2989        | 0.3145        | 0.3015        | 0.2008        | 0.1981        | 0.2037        | 11.4167       |
| WPMixer            | CRPS | 0.0956        | 0.1095        | 0.1237        | 0.0710        | 0.1051        | <u>0.1089</u> | 0.0331        | 0.0390        | 0.0532        | 0.1165        | 0.1184        | 0.1199        | 4.1250        |
| KAEInformer        | CRPS | 0.2333        | 0.2521        | 0.4958        | 0.2557        | 0.2875        | 0.3365        | 0.2798        | 0.3061        | 0.2957        | 0.2493        | 0.2573        | 0.2619        | 11.0833       |
| <b>JointScaler</b> | CRPS | <b>0.0563</b> | <b>0.0664</b> | <b>0.0890</b> | <b>0.0572</b> | <b>0.0730</b> | <b>0.0943</b> | <b>0.0289</b> | <b>0.0290</b> | <b>0.0399</b> | <b>0.0995</b> | <b>0.0940</b> | <b>0.1097</b> | <b>1.0000</b> |

Table 1: Comparisons Results on four datasets. The best results are red and the second best results are blue and underlined.

## Evaluation Metrics

We employ Mean Squared Error (MSE) to evaluate point prediction and Continuous Ranked Probability Score (CRPS) [Gneiting and Ranjan, 2011] for probabilistic forecasts. For probabilistic methods, we compute MSE from sampled forecasts; for point-based methods, we treat repeated point predictions as degenerate distributions to calculate CRPS. Lower RMSE and CRPS indicate better performance. This dual-metric evaluation comprehensively assesses model effectiveness in both point and distributional forecasting.

## Parameter Settings

JointScaler is trained on an NVIDIA P100 GPU. The learning rate is set to 0.001, the batch size is set to 128, and the representation dimension  $d$  is set to 512. The numbers of Hierarchical Attention block and Normalizing Flow are both set to 2. All models are trained for 20 epochs, and the best-performing model on the validation set is utilized for testing.

## 6.1 Forecasting Performance

Table 1 presents the results between JointScaler and baselines. The experimental data lead to several conclusions:

(1) JointScaler outperforms baselines in both point and probabilistic prediction across four service datasets, with average reduction of 5.87% in MSE and 14.74% in CRPS.

(2) JointScaler achieves high prediction accuracy while maintaining efficiency as illustrated in Fig. 7. Comparing to MLP-based methods such as TSMixer and DLinear that prioritize efficiency over accuracy, JointScaler’s indicator embed-

ding makes its runtime relatively insensitive to input length  $T$ , enabling adaptability to varied input sizes.

(3) A counterintuitive trend emerges: larger input length  $T$  does not consistently improve prediction accuracy for real-time cloud services. It indicates longer series include obsolete historical patterns due to service adjustments or evolving conditions, introducing noise that degrades accuracy.

## 6.2 Ablation Study

We conducted ablation studies to analyze the impact of key components. The outcomes are shown in Fig. 6.

(1) Replacing Hierarchical Attention with Full Attention (denoted “w/o H”)—which computes pairwise attention coefficients for all indicators—worsens MSE and CRPS across all input lengths and datasets. For CPU services with stable indicator relationships, removing Hierarchical Attention increases MSE by 49.7% on average. It indicates Full Attention fails to account for hierarchical indicator relationships, confusing cross-layer information propagation. Thus, Hierarchical Attention is more effective for structured services.

(2) Impact of Normalizing Flow: Comparing with a variant using linear layers for Gaussian mapping (“w/o NF”) shows significant increases in MSE and CRPS. It confirms NFs better capture indicator distributions, with larger gains in complex environments (Pay\_GPU, Ali, Fisher) due to its adaptability to intricate patterns. Thus, NF enhances performance in dynamic services, critical for accurate prediction.

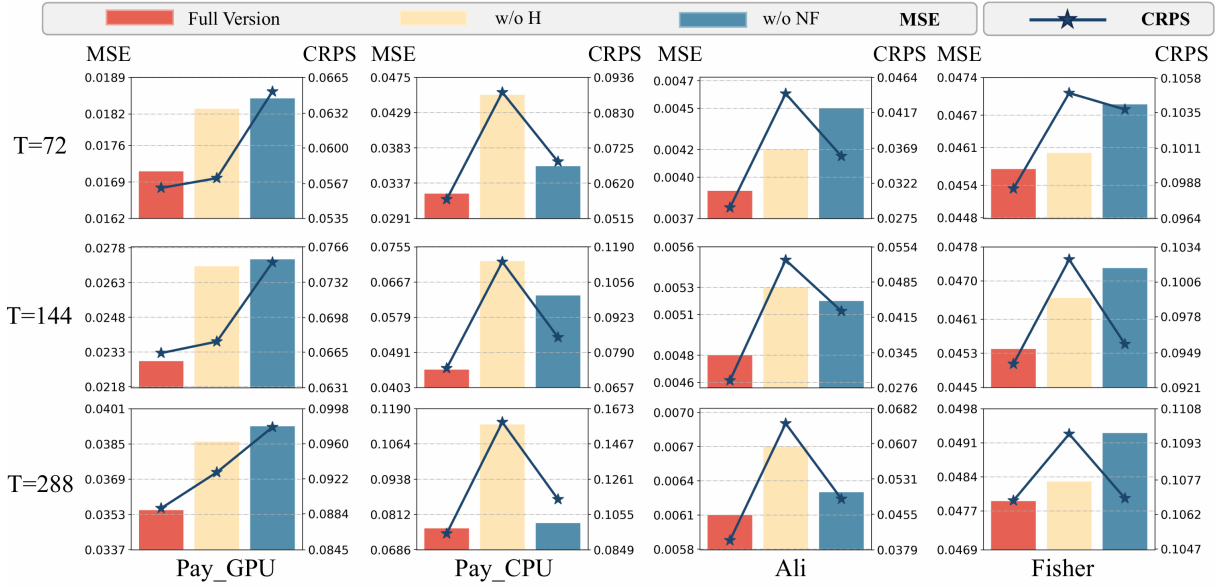


Figure 6: Ablation Study. Comparison of Forecasting Accuracy between JointScaler and its variant on MSE and CRPS.

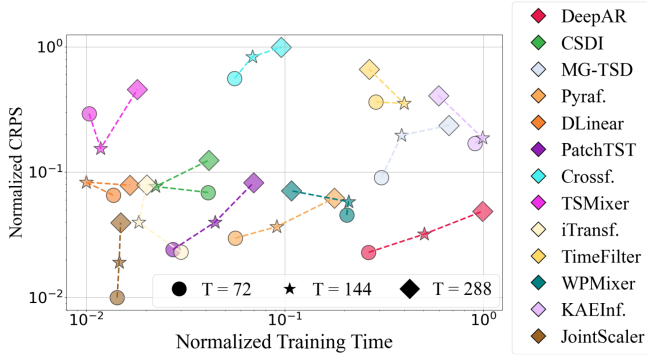


Figure 7: Model Efficiency Comparison on Pay\_GPU. Training time (horizontal) and CRPS (vertical) are min-max normalized. Models are differentiated by color, with input lengths indicated by shape.

### 6.3 Scaling Performance

We conduct a week-long A/B test on 10 large-scale GPU services in the payment application’s cloud platform to evaluate our scaling performance. Key metrics include CPU/GPU usage hours (C\_Usage, G\_Usage), CPU/GPU utilization (C\_Uti, G\_Uti), and SLA compliance rate (SLAR). Lower resource usage with high SLAR indicates better performance.

We include 8 baselines. (1) **Non-Proactive Methods**: Rule-Based and **Autopilot** [Rzadca *et al.*, 2020]; (2) **Deterministic Proactive Methods**: **FIRM** [Qiu *et al.*, 2020], **FSA** [Wang *et al.*, 2023]. (3) **Probability Proactive Methods**: **FS** [Rebbeck *et al.*, 2020], **MagicScaler** [Pan *et al.*, 2023], **Robust** [Hang *et al.*, 2024].

Table 2 confirms JointScaler’s superiority, achieving higher resource utilization with 98.45% SLAR. Minor avoidable SLAR violations occur during occasional service restarts. Notably, JointScaler saved 37,000+ CPU core hours and 2,400+ GPU hours in a week without compromising ser-

vice quality, translating to an estimated annual cost reduction of over \$460,000 for the evaluated services. Greater gains are achievable across a broader range of services.

| Methods            | C_Usage        | G_Usage        | C_Uti         | G_Uti         | SLAR          |
|--------------------|----------------|----------------|---------------|---------------|---------------|
| NoScale            | 9.52e+5        | 4.50e+4        | 11.34%        | 26.22%        | 99.82%        |
| Rule-Based         | 2.78e+5        | 1.49e+4        | 26.75%        | 45.28%        | 98.74%        |
| Autopilot          | 2.92e+5        | 1.54e+4        | 26.89%        | 44.65%        | 91.04%        |
| FIRM               | 2.99e+5        | 1.61e+4        | 27.21%        | 41.06%        | 93.87%        |
| FSA                | 3.11e+5        | 1.61e+4        | 25.91%        | 41.99%        | 92.25%        |
| Robust             | 2.93e+5        | 1.59e+4        | 23.81%        | 38.46%        | 98.78%        |
| FS                 | 2.80e+5        | 1.50e+4        | 26.33%        | 45.93%        | 97.16%        |
| MagicScaler        | 2.79e+5        | 1.49e+4        | 26.65%        | 46.68%        | 95.91%        |
| <b>JointScaler</b> | <b>2.41e+5</b> | <b>1.25e+4</b> | <b>33.65%</b> | <b>55.37%</b> | <b>98.45%</b> |

Table 2: Scaling Results on 10 large scale GPU Services

## 7 Conclusion

We propose JointScaler, a proactive scaling framework that tackles a key AI challenge in cloud data centers: modeling hierarchical dependencies among multi-level service indicators. Unlike prior works that treat indicators independently and assume simple uncertainty distributions, JointScaler jointly captures nonlinear inter-indicator dynamics, uses normalizing flows for flexible forecast distributions, and enforces bundled CU constraints through an uncertainty-aware decision mechanism. It achieves higher forecasting accuracy and improves resource efficiency.

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